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Flu Diagnosis System Using Jaccard Index and Rough Set Approaches

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Abstract. Jaccard index and rough set approaches have been frequently implemented in decision support systems with various domain applications. Both approaches are appropriate to be considered for categorical data analysis. This paper presents the applications of sets operations for flu diagnosis systems based on two different approaches, such as, Jaccard index and rough set. These two different approaches are established using set operations concept, namely intersection and subset. The step-by-step procedure is demonstrated from each approach in diagnosing flu system. The similarity and dissimilarity indexes between conditional symptoms and decision are measured using Jaccard approach. Additionally, the rough set is used to build decision support rules. Moreover, the decision support rules are established using redundant data analysis and elimination of unclassified elements. A number data sets is considered to attempt the step-by-step procedure from each approach. The result has shown that rough set can be used to support Jaccard approaches in establishing decision support rules. Additionally, Jaccard index is better approach for investigating the worst condition of patients. While, the definitely and possibly patients with or without flu can be determined using rough set approach. The rules may improve the performance of medical diagnosis systems. Therefore, inexperienced doctors and patients are easier in preliminary flu diagnosis.

5. Introduction

In this paper, we are using two different approaches in diagnosing flu system, namely Jaccard index and rough set. All approaches is formed using set operations application, such as, intersection and subsets. In medical diagnostic domain, Venn diagram has been used to demonstrate the intersections between true positive, true negative, false positive and false negative results in a test for micro albuminuria [1]. While, Jaccard index has been also implemented to quantify similarity between hereditary diseases at molecular level [2]. However, the data reduction between conditional attributes and decision attribute cannot be solved using Venn and Jaccard approaches for medical diagnostic applications. Therefore, rough set theory was introduced and has been widely applied to solve complex problems by researchers in emergency room diagnostic medical. The rough set approaches can be used to assist such inexperienced doctors in diagnosing based on clinical decision support mole of disease symptoms [3, 4].

There are existing rough set applications in medical diagnostic procedure to detect diseases, such as, dengue [3], diabetes mellitus [3, 4], chikungunya [4], and other. However, the step-by-step procedure



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in determining suitable rules for the medical diagnostic applications remains an interesting issue since the ultimate goal is to achieve accurate prediction results. Motives d by application of set theory and its operations in various medical diagnostic applications [1-4], we are interested to investigate the dependency of conditional attributes (flu's symptoms) and decision attribute (flu) based on set operations from two different approaches. Furthermore, the symptom dependency values can be used for preliminary prediction purpose of the flu patients.

2. Fundamental Theories of Jaccard Index and Rough Set

In this paper, we explain two different approaches and its theories, namely, Jaccard index and rough set in determining the flu diagnosis system. While, both approaches and its theories will be explained in Sections 2.1 and 2.2.

2.1. Jaccard Index Theory

Motivated 2 Venn diagram and set operations, The Jaccard index, also known as intersection over union and the Jaccard similarity coefficient (originally coined coefficient de communauté by Paul Jaccard), is a statistic used for comparing the similarity and diversity of sample sets. The Jaccard coefficient measures similarity between finite sample sets, and is defined as the size of the intersection divided by the size of the union of the sample sets [5]:

$$J(A,B) = \frac{|A \cap B|}{|A \cup B|} = \frac{|A \cap B|}{|A| + |B| - |A \cap B|},$$
(1)

The Jaccard distance, which measures dissimilarity between sample sets, is complementary to the Jaccard coefficient and is obtained by subtracting the Jaccard coefficient from 1, or, equivalently, by dividing the difference of the sizes of the union and the intersection of two sets by the size of the union:

$$dJ(A,B) = 1 - J(A,b) = \frac{|A \cup B| - |A \cap B|}{|A \cup B|},$$
(2)

2.2. Rough Set Theory

The rough set theory has been introduced by Pawlak (1982) and well divided by researchers into information systems, indiscernibility relation, set approximations, rough clustering, and others. An information system $S = (U, \Omega, V_a, f_a)$ consists of [6, 7, 8]:

- U: a nonempty, finite set called the universe;
- Ω : a nonempty, finite set of attributes;
- Ω : $C \cup D$, in which *C* is a finite set of condition attributes and *D* is a finite set of decision attributes; for each $q \in \Omega$, V_q is called the domain of q;
- f_q : an information function $f_q: U \to V_q$.

The cases, states, processes, patients, companies, and observations can be interpreted as objects or elements of rough sets. The attributes of element can be assumed as symptoms, factors, and characteristic information. A relationship bet teen conditional attributes and decision attribute can be explained using information table. In this table, the row and column correspond to objects and attributes, respectively. The starting point of rough set theory is the indiscernibility relation, generated by information about objects of interest.

Let $S = (U, \Omega, V_q, f_q)$ be an infognation system, then any subset *B* of *A* determines a binary (equivalence) relation IND(*B*) on *U*, which will be called *B*-indiscernibility relation, and is defined as follows:

$$IND(B) = \{(x, y) \in U^2 : \forall a \in B, a(x) = a(y)\},$$
(3)

Where a(x) denotes the value of attribute a for element x in U. The collection of all equivalence

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classes determined by IND(B), denoted by U/B. An equivalence class of U/B, containing x, is denoted by $[M]_B$.

Let $S = (U, \Omega, V_q, f_q)$ be an information system and let $B \subseteq A$ and $X \subseteq U$. We can approximate X using only the information contained in B by constructing the B-lower and B-upper approximations of X. Both approximations are denoted as:

$$\underline{B}(X) = \{ \{ x \in U | [x]_B \subseteq X \} \},\tag{4}$$

And

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$$\overline{B}(X) = \{ x \in U | [x]_B \cap X \neq \emptyset \},\tag{5}$$

Where $[x]_B$ is an equivalence class containing x. While, the difference between both approximations and its accuracy can be written:

$$BND(X) = \underline{B}(X) - \overline{B}(X), \tag{6}$$

3. Implementation

In this section, we discuss how to build the flu diagnosis system using Jaccard index and rough set approaches in sections 3.1 and 3.2.

3.1. Flu Diagnosis Using Jaccard Index Approach

This sub-section presents the implementation of set operations using Jaccard index in diagnosing flu system. A number data sets of patient flu [9] is presented in Table 1.

Table 1. Information of patient's flu and its symptoms

Patient's code	Conditional at	Becision attribute		
	Headache	Muscle Pain	Temperature	Flu
\mathbf{p}_1	No	Yes	High	Yes
\mathbf{p}_2	Yes	No	High	Yes
\mathbf{p}_3	Yes	Yes	Very High	Yes
\mathbf{p}_4	No	Yes	Normal	No
\mathbf{p}_5	Yes	No	High	No
\mathbf{p}_6	No	Yes	Very High	Yes

Step 1: Based on table 1, define sets of conditional attributes and decision attribute using patient's code as presented in table 2.

Table 2. Sets attributes and its elements

Set Attributes	Set elements
Headache = H	$= \{\{Ye_{7}, \{No\}\},\$
	$= \{\{p_2, p_3, p_5\}, \{p_1, p_4, p_6\}.$
Muscle Pain = MP	$= \{\{Yes\}, \{No\}\},\$
	$= \{\{\underline{p_1}, \underline{p_3}, \underline{p_4}, \underline{p_6}\}, \{\underline{p_2}, \underline{p_5}\}\}.$
Temperature = T	= {{ [70rmal}, {High}, {Very High},
	$= \{ \{ p_4 \}, \{ p_1, p_2, p_5 \}, \{ p_3, p_6 \} \}.$
Decision (Flu) = F	$= \{\{Yes, \{No\}\},\$
	$= \{\{\mathbf{p}_1, \mathbf{p}_2, \mathbf{p}_3, \mathbf{p}_6\}, \{\mathbf{p}_4, \mathbf{p}_5\}\}.$

Step 2: Find set intersections between conditional attributes and decision attribute.

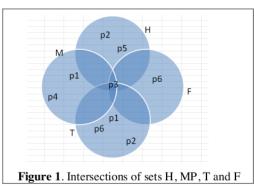
Intersection between sets H (Yes) and MP (Yes), $H = \{p_2, p_3, p_5\}$, and $MP = \{p_1, p_3, p_4, p_6\}$. Then, $H \cap MP = \{p_3\}$.

Intersection between sets H (Yes), MP (Yes) and T (very high), respectively. H = { p_2, p_3, p_5 }, MP = { p_1, p_3, p_4, p_6 }, T = { p_3, p_6 }. Then, H \cap MP \cap T = { p_3 }.

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Intersection sets H (Yes), MP(Yes), T(Very high) and F(Yes), respectively. H = $\{p_2,p_3,p_5\}$, MP = $\{p_1,p_3,p_4,p_6\}$, T = $\{p_3,p_6\}$, F = $\{p_1,p_2,p_3,p_6\}$. Then, H \cap MP \cap T \cap F = $\{p_3\}$. It is presented in figure 1.



Step 3: Based on Step 2, calculate Jaccard similarity index (J) for each figure as presented in table 3.

Intersection of sets	Jaccard similarity and dissimilarity indexes (J)
$H \cap MP = \{p_3\}$	= 1/6,
	= 0.1667 = 16.67%,
	Jaccard similarity index is: $J_s(H, MP) = 16.67\%$ similar.
	Jaccard dissimilarity index is:
	= 1 - J(H, MP),
	= 1 - 0.1667,
	= 0.8333.
	$J_d(H, MP) = 83.33\%$ dissimilar.
$H \cap MP \cap T = \{p_3\}$	= 1/7,
	= 0.1429 = 14.29%,
	Jaccard similarity index is: $J_s(H, MP, T) = 14.29\%$ similar.
	Jaccard dissimilarity index is:
	= 1 - J(H, MP, T),
	= 1 - 0.1429,
	= 0.8571.
	$J_d(H, MP, T) = 85.71\%$ dissimilar
$I \cap MP \cap T \cap F = \{p_3\}$	= 1/9,
	= 0.1111 = 11.11%,
	Jaccard similarity index is: $J_s(H, MP, T, F) = 14.29\%$
	similar.
	Jaccard dissimilarity index is:
	= 1 - J(H, MP, T, F),
	= 1 - 0.1111,
	= 0.8889.
	$J_d(H, MP, T, F) = 88.89\%$ dissimilar

Step 4: Based on step 3 and table 3, determine the definitely patient have flu. In this case, we obtain that the patient p_3 is the worst condition based on similarity and distance of J_s (H, MP), J_s (H, MP, T), and J_s (H, MP, T, F). Therefore, the patient p_3 should be treated immediately.

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3.2. Flu Diagnosis Using Rough Set Approach

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Based on tables 1, 2 and [9], the rough set can be implemented to determine the dependency between conditional symptoms and decision attribute by following

Step 1: Determine lower, upper approximations and boundary regions as shown in tables 4 and 5.

T-LL 4	т	1		
Table 4	Lower	and	upper	approximations

Lower approximation (LA)	Upper approximation (UA)
The patients that are definitely have $flu = \{p1, p3, p3, p3, p3, p3, p3, p3, p3, p3, p3$	The patients that possibly have $flu = \{p1, p2, p3, p6\}$.
p6}	
The patients does not have $flu = \{p4\}$.	The patient that possible does not have $flu = \{p4,$
	p5}.

Table 5. Boundary regions (BR)			
BR for definitely have flu	BR for possibly have flu		
BR = { $p1, p3, p6$ - { $p1, p2, p3, p6$ }	$BR = \{ p4 \} - \{ p4, p5 \}$		
$= \{p2\}.$	$= \{p5\}.$		

By following all steps given in data reduction and extraction [9], we only present the final result of intersection data with symptoms and decision attributes on table 6.

Table 6. Final intersection data and information

Patient code		Conditional attribut	e	Decision attribute
	Headache	Muscle Pain	Temperature	Flu
\mathbf{p}_3	Yes	Yes	Very High	Yes
\mathbf{p}_6	No	Yes	Very High	Yes
\mathbf{p}_1	No	Yes	High	Yes
p4	No	Yes	Normal	No

Based on table 6, we generate the decision support rules for flu diagnosis (prediction) as presented in table 7, and we can also find the final intersection and information in table 8:

Table 7. Proposed decision support rules

Rule	Condition
Rule 1	If a patient with Symptom Headache: "Yes", and Symptom Muscle Pain: "Yes",
	and Symptom Temperature: "Very High". Then decision of flu: "Yes".
Rule 2	If a patient with Symptom Muscle Pain: "Yes", and Symptom Temperature: "High
	or Very High". Then decision of Flu: "Yes".
Rule 3	Otherwise, "No Flu".

Table 8. Final intersection data and information

Patient code	Conditiona	l attribute		Decision attribute	Prediction att	ribute
	Headache	Muscle	Temperature		Headache	Muscle
4		Pain		4		Pain
p ₁	No	Yes	High	p ₁	No	Yes
\mathbf{p}_2	Yes	No	High	\mathbf{p}_2	Yes	No
\mathbf{p}_3	Yes	Yes	Very High	\mathbf{p}_3	Yes	Yes
p_4	No	Yes	Normal	\mathbf{p}_4	No	Yes
p ₅	Yes	No	High	p ₅	Yes	No
\mathbf{p}_6	No	Yes	Very High	\mathbf{p}_6	No	Yes

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Table 7 shows the implementation of proposed rules in flu predicting and comparison result with rules proposed in [9]. Our proposed rules are able to predict almost all patients correctly, except the patient p2. While, the previous rule [9] is only able to predict the patient p1. In this case, the refining of rules are very important to be considered in order to improve the prediction accuracy.

4. Conclusion

In this paper, we implemented Jaccard index and rough set approximation for medical diagnosis systems, namely, flu diagnosis system. In the application, Jaccard index approach can be used to determine the worst condition based on the similarity and distance between conditional attributes and decision attribute. While, the rough set approach can be applied to determine the data reduction and decision support rules. Both approaches can be implemented to build the decision support systems for medical diagnosis. Thus, the inexperience doctors may use the systems for preliminary diagnosis of the patients.

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